

ByteWrist: A Parallel Robotic Wrist Enabling Flexible and Anthropomorphic Motion for Confined Spaces

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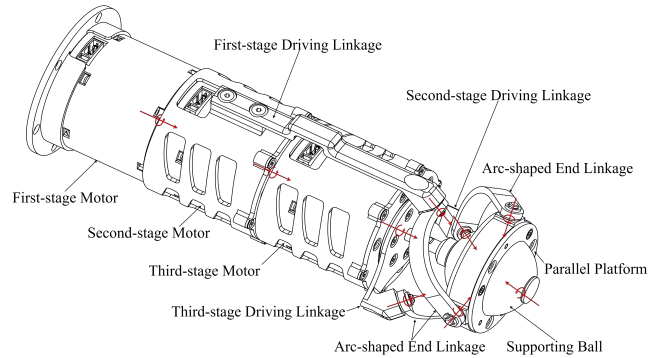
Abstract—This paper introduces ByteWrist, a novel highly-flexible and anthropomorphic parallel wrist for robotic manipulation. ByteWrist addresses the critical limitations of existing serial and parallel wrists in narrow-space operations through a compact three-stage parallel drive mechanism integrated with arc-shaped end linkages. The design achieves precise RPY (Roll-Pitch-Yaw) motion while maintaining exceptional compactness, making it particularly suitable for complex unstructured environments such as home services, medical assistance, and precision assembly. The key innovations include: (1) a nested three-stage motor-driven linkages that minimize volume while enabling independent multi-DOF control, (2) arc-shaped end linkages that optimize force transmission and expand motion range, and (3) a central supporting ball functioning as a spherical joint that enhances structural stiffness without compromising flexibility. Meanwhile, we present comprehensive kinematic modeling including forward / inverse kinematics and a numerical Jacobian solution for precise control. Empirically, we observe ByteWrist demonstrates strong performance in narrow-space maneuverability and dual-arm cooperative manipulation tasks, outperforming Kinova-based systems. Results indicate significant improvements in compactness, efficiency, and stiffness compared to traditional designs, establishing ByteWrist as a promising solution for next-generation robotic manipulation in constrained environments.

I. INTRODUCTION

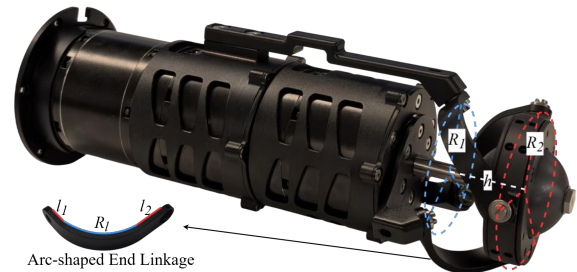
With the rapid advancement of robotic technology, robot application scenarios have shifted dramatically from open and highly structured environments to complex and unstructured settings such as home services, medical assistance, and precision assembly [1], [2]. Among these scenarios, operations in narrow and confined spaces, such as handling objects in cluttered home cabinets, performing minimally invasive surgical interventions in human body cavities, and assembling precision components in automotive engine compartments have put forward increasingly stringent requirements for the flexibility, compactness, and dynamic responsiveness of robotic end-effectors, especially robotic wrists.

Traditional serial robotic wrists, composed of multiple sequentially connected rotational joints, have the advantages of straightforward kinematic modeling [3], [4] and a large rotational range per joint [5], [6]. However, their open-chain structure leads to accumulated errors, low structural stiffness, and a relatively bulky overall volume. When operating in narrow spaces, the multi-link serial structure is prone to collision with the surrounding environment, limiting their

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(a) Components Description in Wireframe.



(b) Parameters Description in Prototype.

Fig. 1: Design and Development of ByteWrist.

maneuverability. In contrast, parallel robotic wrists, which actuate the end platform through multiple parallel branches, demonstrate higher structural rigidity, superior load capacity, and better motion accuracy. However, existing parallel wrist configurations with different structural designs and actuation methods struggle to simultaneously meet the requirements of compactness and flexibility [7], [8], [9], as well as those of high rigidity, high load capacity and simple transmission mode [10], [11], [12], [13], [14]. This renders them less suitable for anthropomorphic manipulation tasks that necessitate both high dexterity and strong spatial adaptability.

To address these limitations, this paper proposes a novel parallel robotic wrist named ByteWrist. The core design concept of ByteWrist is to integrate a compact three-stage parallel drive mechanism with arc-shaped end linkages, achieving precise RPY motion [15], [16], [17], [18] of the end platform while maintaining a small structural footprint. Compared with existing parallel and serial wrists, ByteWrist features three key innovations:

- 1) **High Compactness:** The nested three-stage motor-driven linkages that minimize the overall volume while

enabling independent control of multiple degrees of freedom.

- 2) **High Efficiency:** The arc-shaped end linkages optimize the force transmission path and expand the effective motion range of the end platform.
- 3) **High Stiffness:** The central supporting ball functioned as a spherical joint enhances structural stiffness without sacrificing flexibility.

This paper is organized as follows: Section II elaborates on the mechanical structure of ByteWrist, encompassing its drive mechanism, linkage design, and key structural parameters. Section III establishes the forward and inverse kinematic models for the wrist, and proposes a numerical solution for the Jacobian matrix to ensure precise control. Section IV validates the performance of ByteWrist through three sets of experiments: motion range testing, a narrow-space maneuverability comparison with Kinova, and a dual-arm chest-front cooperative manipulation for clothes hanging. Finally, Section V summarizes the research findings and discusses prospective improvements.

II. STRUCTURE OF BYTEWRIST

ByteWrist is illustrated in Fig. 1a, which is driven by three stage motors. The output of the first-stage motor is connected to the first-stage driving linkage, which is further linked to the parallel platform via an arc-shaped end linkage. Meanwhile, the second-stage motor is mounted inside the first-stage driving linkage, its output connects to the second-stage driving linkage, which is also linked to the parallel platform through an arc-shaped end linkage. Similarly, the third-stage motor is fixed within the second-stage driving linkage, with its output attached to the third-stage driving linkage that connects to the parallel platform via an arc-shaped end linkage.

All three stage driving linkages and arc-shaped end linkages, as well as arc-shaped end linkages and parallel platform, are connected via revolute pairs. All these six revolute pairs are oriented toward the center of the parallel platform.

To enhance the stiffness of the parallel platform, a supporting ball is mounted at its center and connected to the platform via a spherical joint. By controlling the movement of three stage motors, the end parallel platform can achieve precise RPY motion.

As illustrated in Fig. 1b, the prototype of ByteWrist adopts Quasi-Direct Drive [19] based actuators manufactured by RobStride Dynamics. R_1 denotes the rotation radius of the connection point between all three stage driving linkages and arc-shaped end linkages, R_2 denotes the rotation radius of the connection point between arc-shaped end linkages and the parallel platform. The center distance between these two rotation planes is h .

The arc-shaped end linkage consists of a 90-degree arc and two straight segments connected to the arc, where the radius of the arc is R_l and the length of two straight segments are l_1 and l_2 respectively, as described in Fig. 1b. Above mentioned parameters are shown in Table I.

TABLE I: Structural Parameters of ByteWrist (Unit: mm)

R_1	R_2	h	R_l	l_1	l_2
27.35	30	27.35	25	5	13.68

III. FORWARD AND INVERSE KINEMATICS OF BYTEWRIST

To achieve precise control of ByteWrist, deriving its forward and inverse kinematics is essential. For clarity of description, its structure is simplified as illustrated in Fig. 2.

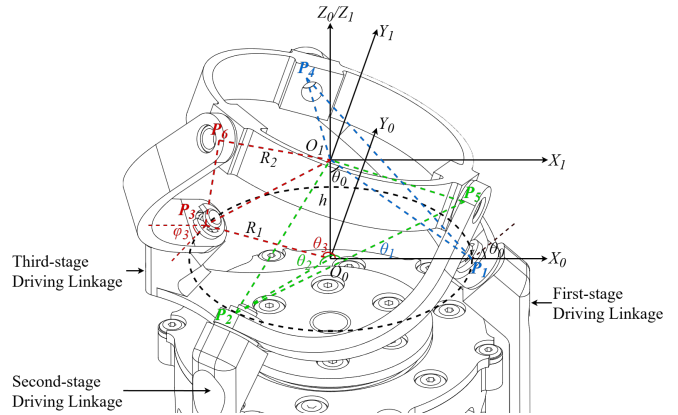


Fig. 2: Coordinate System Definition of ByteWrist.

Points P_1 , P_2 and P_3 lie on the axis of the revolute joint connecting the arc-shaped end linkage and the driving linkage, and are situated on the inner surface of arc-shaped end linkages. Points P_4 , P_5 , and P_6 lie on the axis of the revolute joint between the arc-shaped end linkage and the parallel platform, and are similarly located on the inner surface of arc-shaped end linkages. Point O_0 is the center of the circle passing through points P_1 , P_2 and P_3 with a radius of R_1 . Correspondingly point O_1 is the center of the circle passing through points P_4 , P_5 and P_6 with a radius of R_2 . For the coordinate system $\{O_0X_0Y_0Z_0\}$, when the parallel wrist is in its initial position, $O_0\vec{X}_0$ points to P_1 , while $O_0\vec{Z}_0$ aligns with the axis of the driving motor, with its positive direction defined as Fig. 2 presents. For the coordinate system $\{O_1X_1Y_1Z_1\}$, its coordinate axis are parallel to coordinate system $\{O_0X_0Y_0Z_0\}$, and the distance between O_1 and O_0 is h . θ_0 is the angle of $\angle P_1O_1O_0$, and θ_1 , θ_2 , θ_3 are respectively the angles between the three driving linkages and the $O_0\vec{X}_0$ direction, note that at initial position $\theta_1 = 0^\circ$, $\theta_2 = 240^\circ$, $\theta_3 = 120^\circ$.

Generally, in the design process, R_1 , R_2 , and h are structural parameters to be determined with high priority by taking the wrist actuators diameter into consideration. Once these three parameters are confirmed, the relationships between the parameters R_l , l_1 , and l_2 of the arc-shaped end linkage can be calculated using (1). After R_l is further determined, the

overall structural design can be completed.

$$\begin{cases} \theta_0 = \arctan(R_1/h) \\ R_1 + l_2 = h/\cos \theta_0 \\ R_1 + l_1 = R_2 \end{cases} \quad (1)$$

A. Forward Kinematics

The kinematics of the parallel wrist involves solving the relationship between θ_1 , θ_2 , θ_3 and the RPY angles of the parallel platform. For the forward kinematics part, the inputs are θ_1 , θ_2 , θ_3 , and the outputs are RPY angles of the parallel platform.

When three driving linkages rotate to θ_1 , θ_2 , and θ_3 , the arc-shaped end linkages P_1P_4 , P_2P_5 and P_3P_6 rotate around $O_1\vec{P}_1$, $O_1\vec{P}_2$ and $O_1\vec{P}_3$ by φ_1 , φ_2 and φ_3 respectively. As can be seen from the geometric structure of the parallel wrist, the coordinates of points P_1 , P_2 , and P_3 are $P_i = (R_1 \cos \theta_i, R_1 \sin \theta_i, 0) (i = 1, 2, 3)$.

The coordinates of points $P_i (i = 1 \sim 6)$ in their initial positions are denoted as P_{i0} . In the initial position, $\theta_1 = 0$, $\theta_2 = 4\pi/3$, and $\theta_3 = 2\pi/3$. It can be calculated that $P_{40} = (-R_2 \sin \theta_1, R_2 \cos \theta_1, h)$, $P_{50} = (-R_2 \sin \theta_2, R_2 \cos \theta_2, h)$, $P_{60} = (-R_2 \sin \theta_3, R_2 \cos \theta_3, h)$.

When the parallel wrist moves to any position, the coordinates of points P_4 , P_5 , and P_6 can be derived as (2).

$$\begin{cases} P_{i+3}.x = -R_2 \cos \varphi_i \sin \theta_i + R_2 \sin \varphi_i \cos \theta_0 \cos \theta_i \\ P_{i+3}.y = R_2 \cos \varphi_i \cos \theta_i + R_2 \sin \varphi_i \cos \theta_0 \sin \theta_i \\ P_{i+3}.z = R_2 \sin \varphi_i \sin \theta_0 + h \end{cases} \quad (2) \quad (i = 1, 2, 3)$$

Thus vectors $O_1\vec{P}_4$, $O_1\vec{P}_5$, $O_1\vec{P}_6$ can be expressed in (3).

$$O_1\vec{P}_{i+3} = (P_{i+3}.x, P_{i+3}.y, R_2 \sin \varphi_i \sin \theta_0) (i = 1, 2, 3) \quad (3)$$

The angle between each pair of these three vectors is $2\pi/3$, and (4) can be obtained.

$$\begin{cases} \frac{O_1\vec{P}_4 \cdot O_1\vec{P}_5}{|O_1\vec{P}_4| \cdot |O_1\vec{P}_5|} = \cos \frac{2\pi}{3} \\ \frac{O_1\vec{P}_4 \cdot O_1\vec{P}_6}{|O_1\vec{P}_4| \cdot |O_1\vec{P}_6|} = \cos \frac{2\pi}{3} \\ \frac{O_1\vec{P}_5 \cdot O_1\vec{P}_6}{|O_1\vec{P}_5| \cdot |O_1\vec{P}_6|} = \cos \frac{2\pi}{3} \end{cases} \quad (4)$$

By solving the system of equations (4) simultaneously, the values of φ_1 , φ_2 and φ_3 can be calculated for any given inputs θ_1 , θ_2 , θ_3 . Given that this system of equations is nonlinear, the Newton-Raphson method is adopted herein for iterative solution.

This paper adopts the RPY method to describe the attitude of the parallel platform. Let $\{O_2X_2Y_2Z_2\}$ denote the coordinate system of the parallel platform after rotation. Specifically, the platform undergoes rotations around the X-axis, Y-axis and Z-axis of the original coordinate system $\{O_1X_1Y_1Z_1\}$ by γ (Roll), β (Pitch) and α (Yaw) respectively. The rotation matrix describing the attitude transformation of the parallel platform is expressed in (5).

$$\begin{aligned} R_X(\gamma) &= \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \gamma & -\sin \gamma \\ 0 & \sin \gamma & \cos \gamma \end{bmatrix}, \\ R_Y(\beta) &= \begin{bmatrix} \cos \beta & 0 & \sin \beta \\ 0 & 1 & 0 \\ -\sin \beta & 0 & \cos \beta \end{bmatrix}, \\ R_Z(\alpha) &= \begin{bmatrix} \cos \alpha & -\sin \alpha & 0 \\ \sin \alpha & \cos \alpha & 0 \\ 0 & 0 & 1 \end{bmatrix}, \end{aligned} \quad (5)$$

$$\begin{aligned} {}^1R_2 &= R_Z(\alpha)R_Y(\beta)R_X(\gamma) \\ &= \begin{bmatrix} R_{11} & R_{12} & R_{13} \\ R_{21} & R_{22} & R_{23} \\ R_{31} & R_{32} & R_{33} \end{bmatrix} \end{aligned}$$

The normal vector of the parallel platform is $n = (A, B, C)$, where A , B , and C can be calculated by (6):

$$\begin{cases} A = (P_5.y - P_4.y)(P_6.z - P_4.z) - (P_5.z - P_4.z)(P_6.y - P_4.y) \\ B = (P_5.z - P_4.z)(P_6.x - P_4.x) - (P_5.x - P_4.x)(P_6.z - P_4.z) \\ C = (P_5.x - P_4.x)(P_6.y - P_4.y) - (P_5.y - P_4.y)(P_6.x - P_4.x) \end{cases} \quad (6)$$

R_{12} , R_{22} , and R_{32} can be calculated by (7).

$$\begin{bmatrix} P_4.x \\ P_4.y \\ P_4.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} P_{40}.x \\ P_{40}.y \\ P_{40}.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} 0 \\ R_2 \\ 0 \end{bmatrix} \quad (7)$$

Furthermore, R_{11} , R_{21} , and R_{31} can be calculated by (8).

$$\begin{bmatrix} P_5.x \\ P_5.y \\ P_5.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} P_{50}.x \\ P_{50}.y \\ P_{50}.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} -R_2 \sin \frac{4\pi}{3} \\ R_2 \cos \frac{4\pi}{3} \\ 0 \end{bmatrix} \quad (8)$$

R_{13} , R_{23} , and R_{33} can be calculated by (9).

$$\begin{bmatrix} A \\ B \\ C \end{bmatrix} = {}^1R_2 \begin{bmatrix} 0 \\ 0 \\ \sqrt{A^2 + B^2 + C^2} \end{bmatrix} \quad (9)$$

Then, the RPY angles of the parallel platform can be solved by (10):

$$\begin{cases} \alpha = \text{atan2}(R_{21}, R_{11}) \\ \beta = \text{atan2}(-R_{31}, \sqrt{R_{32}^2 + R_{33}^2}) \\ \gamma = \text{atan2}(R_{32}, R_{33}) \end{cases} \quad (10)$$

B. Inverse Kinematics

For inverse kinematics, the input is RPY angles of the parallel platform, and the output is θ_1 , θ_2 and θ_3 . After given the RPY angles, the rotation matrix 1R_2 can be solved through (5). Furthermore, the coordinates of points P_4 , P_5 , and P_6 can be calculated using (7), (8), and (11).

$$\begin{bmatrix} P_6.x \\ P_6.y \\ P_6.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} P_{60}.x \\ P_{60}.y \\ P_{60}.z - h \end{bmatrix} = {}^1R_2 \begin{bmatrix} -R_2 \sin \frac{2\pi}{3} \\ R_2 \cos \frac{2\pi}{3} \\ 0 \end{bmatrix} \quad (11)$$

The values of φ_1 , φ_2 , φ_3 , θ_1 , θ_2 , and θ_3 can be derived using (2).

C. Jacobian Matrix

This paper adopts the numerical method to solve the Jacobian matrix, which can be expressed as (12):

$$J = \begin{bmatrix} J_{11} & J_{12} & J_{13} \\ J_{21} & J_{22} & J_{23} \\ J_{31} & J_{32} & J_{33} \end{bmatrix} = \begin{bmatrix} \frac{\partial \alpha}{\partial \theta_1} & \frac{\partial \alpha}{\partial \theta_2} & \frac{\partial \alpha}{\partial \theta_3} \\ \frac{\partial \beta}{\partial \theta_1} & \frac{\partial \beta}{\partial \theta_2} & \frac{\partial \beta}{\partial \theta_3} \\ \frac{\partial \gamma}{\partial \theta_1} & \frac{\partial \gamma}{\partial \theta_2} & \frac{\partial \gamma}{\partial \theta_3} \end{bmatrix} \quad (12)$$

For a small step $\Delta\theta$, J_{11} can be calculated by (13).

$$J_{11} = \frac{\partial \alpha}{\partial \theta_1} \approx \frac{\alpha(\theta_1 + \Delta\theta, \theta_2, \theta_3) - \alpha(\theta_1, \theta_2, \theta_3)}{\Delta\theta} \quad (13)$$

The other elements of the Jacobian matrix J can be calculated in the same way.

As discussed previously, the iterative Newton-Raphson method inherently gives rise to rounding errors. In the numerical solution of the Jacobian matrix of the wrist, special consideration must be given to the effect of step size $\Delta\theta$ on the precision of the results.

The motion process of the wrist under the conditions $\theta_1 = 0$, $\theta_2 = 4\pi/3$ and θ_3 ranging from $2\pi/3$ to π is simulated using Creo software. The RPY angles of the parallel platform were recorded at a step size of $\pi/3000$. A series of step sizes ($1e-1$, $1e-2$, ..., $1e-7$) are selected to calculate both the maximum error and root mean square error (RMSE) of the elements in Jacobian matrix. Comparative analysis revealed that the smallest values of both maximum error and RMSE for matrix J occur when the step size $\Delta\theta$ is $1e-3$. Consequently, a step size of $\Delta\theta = 1e-3$ is chosen for solving the Jacobian matrix via the numerical method.

IV. EXPERIMENTS

In this chapter, three experiments are conducted to verify the performance of ByteWrist in terms of flexibility, high integration and anthropomorphic. Prior to these experiments, an introduction to the ByteMini robotic system is provided.

A. Prototype of ByteMini

To verify ByteWrist functionality, we integrate them into our 22-DoF dual-arm mobile robot, ByteMini (Fig. 3). Key design features include:

- 1) **Arms:** 7-DoF in SRS (Spherical-Revolute-Spherical) configuration with ByteWrist as wrist modules.
- 2) **Grippers:** 1-DoF grippers paired with RealSense D405 cameras for close-range vision.
- 3) **Waist:** 1-DoF lifting mechanism in high stiffness for height adjustment.
- 4) **Chassis:** 3-DoF omnidirectional mobile platform for flexible movement.
- 5) **Head:** 2-DoF in Pitch and Yaw motion, integrated with a RealSense D457 camera for primary vision.
- 6) **Computing and Power:** Dell T3280 computer as the main controller and 4.08 kWh battery for power supply.

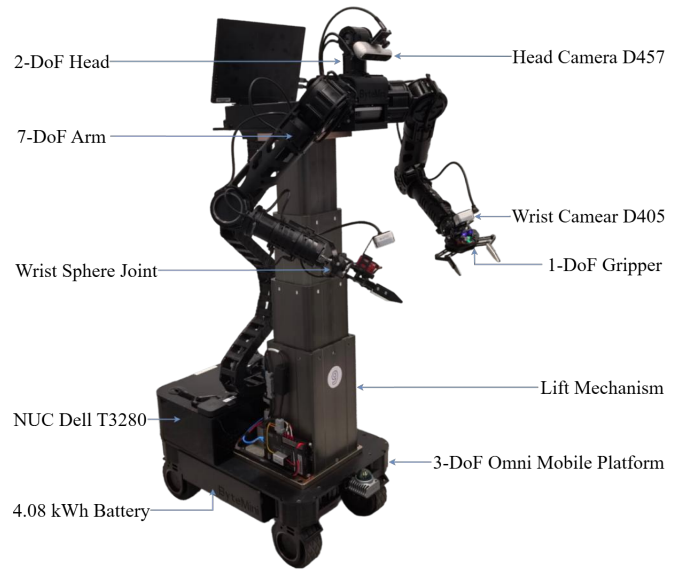


Fig. 3: Description of the ByteMini Robot.

B. Wrist Motion Range

Owing to structural constraints, the motion range of ByteWrist must comply with the requirement specified in (14).

$$\beta^2 + \gamma^2 < 0.7^2 \quad (14)$$

To verify the wrist range motion and high flexibility, this study designs a circular trajectory, enabling the wrist to move in accordance with (15).

$$\begin{cases} \beta^2 + \gamma^2 = 0.68 \\ \alpha = 0 \end{cases} \quad (15)$$

As illustrated in Fig. 4(a-c), the input of wrist movement and the actual position feedback are plotted for cycles $T = 4s$, $2s$ and $1s$ respectively. Postures of ByteWrist at 8 distinct moments are presented in Fig. 4(d-k), each corresponding to different pitch and yaw angles. Throughout the wrist movement, the yaw direction remains constant. Experimental results demonstrate that the robotic wrist exhibits flexible motion within this operational region.

In the actual control of the wrist, the three aforementioned motion exhibit a delay of approximately 0.06 s, attributed to communication and computation latencies. Owing to variations in motion speed, the errors between the state and command curves are 0.064 rad, 0.127 rad, and 0.247 rad, respectively, when the pitch or roll angle is 0 rad. Consequently, in high-dynamic applications, the influence induced by such lag must be considered, whereas it can be neglected in low-speed control scenarios.

C. Confined-Space Maneuverability

To verify the flexibility of ByteWrist in confined spaces, this study designs a comparative experiment of objects grasping inside a glove box between ByteMini and Kinova.

A glove box shown in Fig. 5 is designed for this experiment. This box is constructed from transparent acrylic

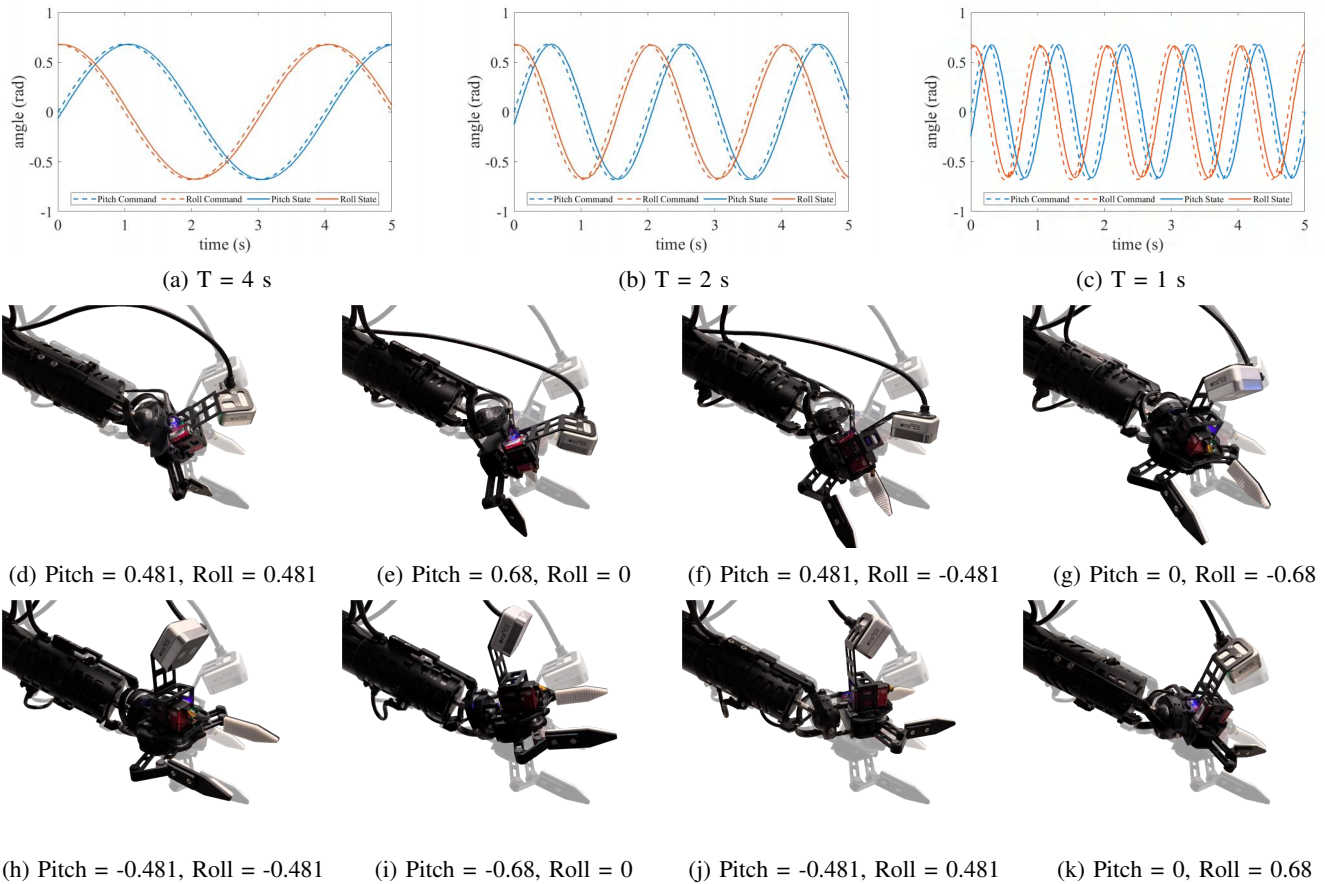


Fig. 4: Motion Range of ByteWrist, here we define moving down and left (along the direction of the gripper) as pitch and roll positive direction. The units shown in (d)-(k) are radians (rad).

material, with dimensions of 1000 mm (length) \times 500 mm (width) \times 600 mm (height). There are two access holes (each in diameter 200 mm) on the front panel of the cabinet, with center-to-center distance in 500 mm.

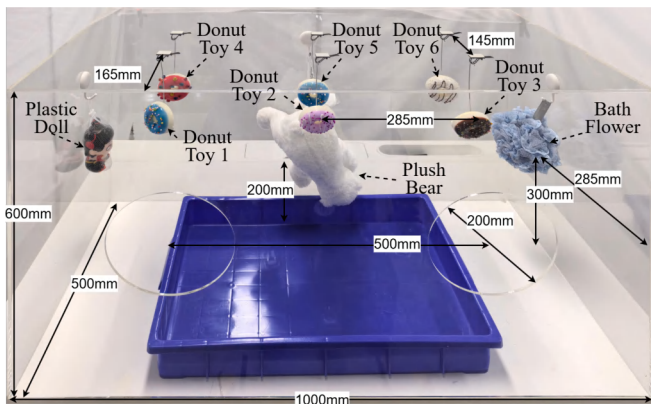


Fig. 5: Glove Box Experimental Scenario Setup.

Nine grasping target objects were arranged inside the glove box, including a plastic doll, a plush bear, a bath flower, and six donut toys. The specific distribution of these objects in the glove box is illustrated in Fig. 5. The design objective

is to evaluate the difficulty of grasping tasks in different spatial regions through two access holes, thereby achieving the assessment of the maneuverability of robotic arms.

The grasping experiment procedure is as follows. The ByteMini robot is tele-operated to extend both arms into the glove box. Subsequently, its waist and mobile chassis are kept stationary, and the current pose of the arms are recorded as the initial pose. Next, the arms are tele-operated via Quest VR to attempt grasping the objects inside the glove box and placing them into the blue storage basket. Once the object is placed into the blue storage box, the robot arm is subsequently returned to its initial pose in preparation for the next grasping attempt. Throughout the procedure, the duration to grasp each object (between two initial poses) is recorded. The grasping sequence is as follows: plastic doll, plush bear, bath flower, and Donut Toys 1–6. As shown in Fig. 6, the ByteMini robot with ByteWrist is capable of achieving accurate grasping of all nine objects, with the time required for each grasp summarized in Table II.

To enable comparison with the traditional serial wrist, a dual-arm robot featuring a fixed base is constructed in this study, as illustrated in Fig. 7. The robot two arms consist of Kinova Gen3, which utilizes a 7-DoF SRS configuration similar to ByteMini. The key distinction lies in Kinova

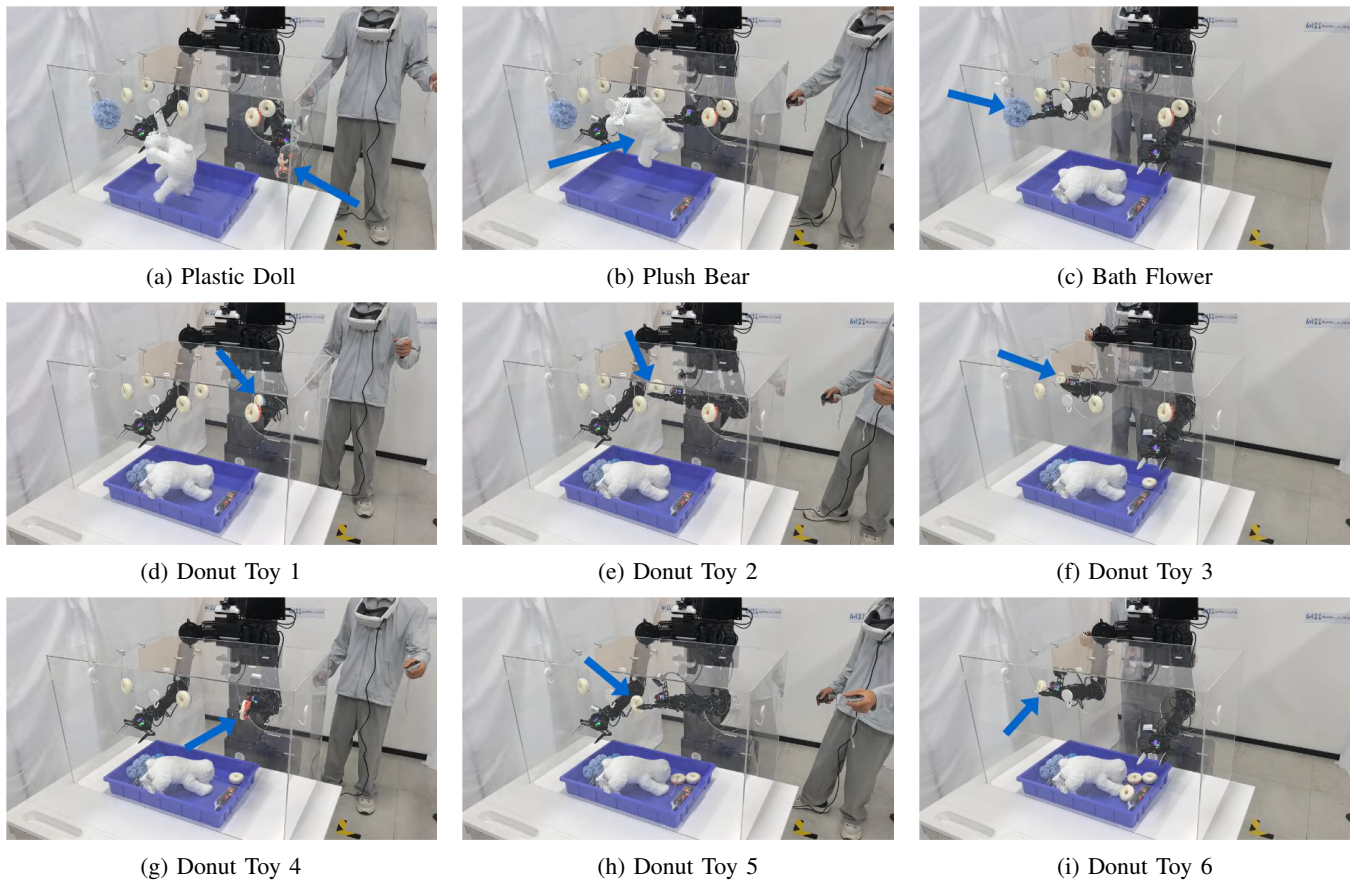


Fig. 6: ByteMini Performance in the Confined-Space Grasping Experiment.

TABLE II: Grasping Time by ByteMini (Unit: s)

Plastic Doll	Plush Bear	Bath Flower
20	49	21
Donut Toy 1	Donut Toy 2	Donut Toy 3
22	38	23
Donut Toy 4	Donut Toy 5	Donut Toy 6
17	27	17
Total Time		
234		

adopting a serial configuration for the wrist three joints. A Robotiq 2F-85 gripper is affixed as the end effector of each arm. The identical grasping experiment is conducted using the Kinova dual-arm robot, with grasping times recorded, and the experimental results are summarized in Table III.

Between Table II and III, we can notice that for the same experiment task, the Kinova dual-arm robot takes approximately twice as long as ByteMini, which reflects the difference in the flexibility of the robots wrist. Three main reasons lead to Kinova’s longer grasping duration are as follows.

- 1) **Larger Arm Angle Adjustment:** For the grasping of the plastic doll, bath flower, donut toy 4, and

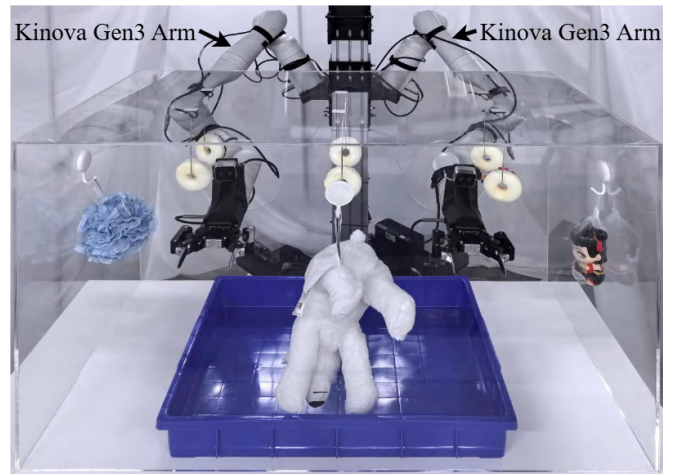
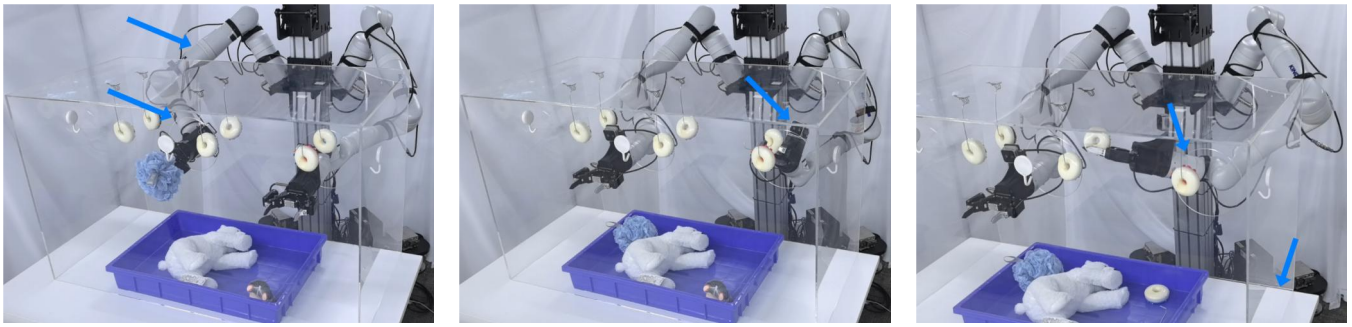


Fig. 7: The Kinova Dual-arm Robot Setup.

donut toy 6, the Kinova’s forearm—featuring a serial configuration and greater length—requires retraction from the glove box to adjust its posture prior to grasp completion. As illustrated in Fig. 8a, to compensate for the limited range of wrist rotation, the upper arm executes a large-angle rotational motion, resulting in increased grasping duration.



(a) Larger Arm Angle Adjustment.

(b) Gripper Camera Out of the Box.

(c) Slight Collisions Occur.

Fig. 8: Causes of Longer Grasping Duration for Kinova Dual-Arm Robot in the Confined Space Grasping Experiment.

TABLE III: Grasping Time by Kinova (Unit: s)

Plastic Doll	Plush Bear	Bath Flower
47	56	67
Donut Toy 1	Donut Toy 2	Donut Toy 3
64	51	75
Donut Toy 4	Donut Toy 5	Donut Toy 6
23	59	34
Total Time		
476		

- 2) **Gripper Camera Out of the Box:** When attempting to grasp donut toy 1 and donut toy 3, the rotation of the Kinova’s wrist will cause the collision between the gripper camera and the inner front wall of the glove box, if the gripper camera remains in the glove box. Thus, the gripper camera must first be moved out of the glove box before grasping, which leads to longer grasping time.
- 3) **Slight Collisions Occur:** For the grasping of donut toy 2 and donut toy 5, slight collisions occur between the forearm links and the glove box due to the forearm’s series configuration and greater length, which brings more time for adjustment and recovery.

D. Dual-Arm Manipulation of Deformable Objects

GR-3[20] is a large-scale vision-language-action (VLA) model[21], and ByteMini robots are deployed for GR-3 data collection and model rollout. The dexterous clothes-hanging task in GR-3 imposes high requirements on the capabilities of the robot, where the robot is required to achieve dual-arm collaboration in the chest area and perform manipulation of deformable objects with high precision and high dexterity.

As shown in Fig. 9, ByteMini is required to perform following actions in the clothes-hanging manipulation: pick up the clothes hanger with its left gripper, cooperate with both arms to hang the clothes left shoulder on the hanger, switch to holding the hanger with its right gripper, cooperate with both arms to hang the clothes right shoulder on the hanger, and hang the entire assembly onto the crossbar.

ByteMini has not only completed 116 hours of data collection for the clothes-hanging task, but also successfully achieved fully automated dexterous cloth manipulation, demonstrating the flexibility and robustness of ByteWrist based robotic arms.

V. CONCLUSIONS

This paper presents the design, modeling, and experimental validation of ByteWrist, a compact parallel robotic wrist developed for flexible operation in narrow and confined spaces. The research achievements and key conclusions are summarized as follows:

- 1) **Innovative Structural Design:** ByteWrist adopts a three-stage motor-driven parallel mechanism, combined with arc-shaped end linkages and a central supporting ball. This design achieves a balance between compactness and stiffness. The prototype test confirms that the wrist can stably realize continuous RPY motion, meeting the requirements of anthropomorphic manipulation in confined spaces.
- 2) **Complete Kinematic Modeling:** The forward and inverse kinematic models of ByteWrist are established. For forward kinematics, the Newton-Raphson method is used to solve the nonlinear equations, realizing the mapping from driving linkage angles $\theta_1, \theta_2, \theta_3$ to parallel platform RPY angles. For inverse kinematics, the rotation matrix is derived based on given RPY angles to calculate the required driving linkage angles. Additionally, a numerical method with an optimized step size ($\Delta\theta = 1e-3$) is proposed to solve the Jacobian matrix, providing a theoretical basis for high-precision motion control.
- 3) **Excellent Performance Validation:** Experimental results demonstrate ByteWrist can achieve high-dynamic and large-angle motion. Compared with the Kinova dual-arm robot with serial wrists, ByteMini (integrated with ByteWrist) features higher integration and greater flexibility. ByteMini completes 116 hours of data collection for dexterous clothes-hanging tasks and realizes fully automated operation, verifying ByteWrist’s ability to cooperate with dual arms for high-precision deformable object manipulation.

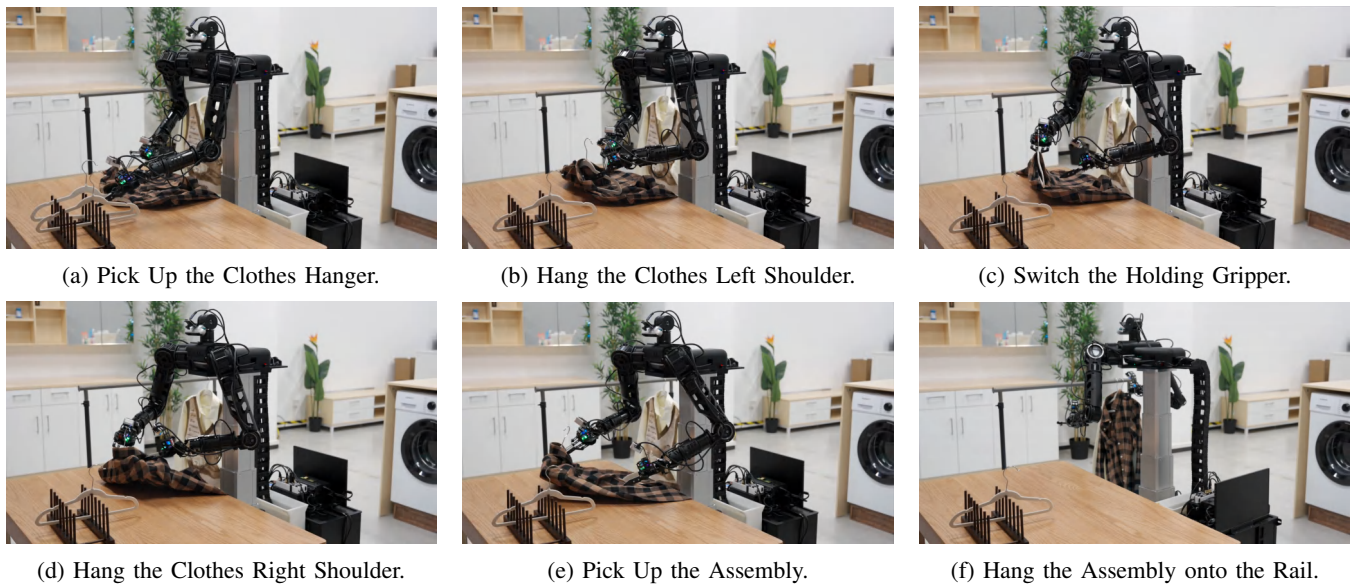


Fig. 9: GR-3 Task: ByteWrist Based Dual-Arm Manipulation of Deformable Objects.

For future improvements, we will consider optimize the structure parameters for extending the motion range. Meanwhile more light-weight design and reliable electrical wire routing will also be considered.

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